

3.6.1.3. The Spectrum in One Direction

The idea is that all active energy linked to the concept of *subton* state modes provides a continuous *spectrum* of angular frequencies $\omega \in \mathbb{R}$ as a *proper finite*¹⁵² *quality* in physics.

Such a *spectrum* of the circle oscillators is complementarily related to a *direction FORWARD* with an associated development parameter $t \in \mathbb{R}$ as a growing *quantity*, as evidenced in all the above intuition and understanding.

Such a *direction* is indicated as a vector $\vec{\omega} \parallel \vec{\omega} = \vec{\omega}/\omega$, pointing into the future.

The vector $\vec{\omega}$ is the internal auto-norm *direction*, hence $|\vec{\omega}| \equiv 1 \Rightarrow \omega_{int}=1 \Rightarrow \phi=t$, while the vector $\vec{\omega}$ is the external normed *direction* for us, where we put $|\vec{\omega}| \equiv 1 \Rightarrow \phi = \omega t$, with the external angular frequency *quantity* $\omega[\vec{\omega}]$, $\omega \in \mathbb{R}$ relative to our norm $\vec{\omega} \equiv 1[\vec{\omega}]$ for the concept.

The transformation from our norm to the autonomous norm (3.187) is $\vec{\omega} \leftarrow \parallel \rightarrow \omega \vec{\omega}$.

From our frequency standard $\vec{\omega} \equiv 1[\vec{\omega}]$ we can choose an appropriate reference frequency $\omega_c[\vec{\omega}]$ for the *spectrum* of our ensemble object.

We see the carrier generator ω_c as the reference source for the system chronometer $\{t_c\} [\vec{\omega}^{-1}]$.

For your intuition of a local *spectrum* chronometer time t_c to be counted as the developing parameter for the phase $\phi = \omega t_c$ of all angular frequencies $\forall \omega \in \mathbb{R}$ in the *spectrum*, see (3.255) from (1.81) in section 1.7.7. and later II. 4.1.4.2.

It is not t_c , that is the cause of the activity, but rather that *entity* Ψ that creates *subtons* including a carrier generator ω_c as a chronometer $\{t_c\}$.

A philosophical banality: The creation is the cause. Question: What *entities* Ψ creates in physics? (Temperature)

The phenomenon we conceptually represent is an *active spectrum* $\forall \Psi_{\vec{\omega}} \in \Psi$, wherein each angular frequency $|\vec{\omega}| = \omega$ is populated by *subtons* $\psi_{\pm\vec{\omega}\perp\odot} \subseteq \Psi_{\vec{\omega}} \subset \Psi_{\omega}$ constituting an a priori basis for the *primary quality* we call development.

My main contention claim is that development has *direction*. (A synthetic judgement.)

This *direction* goes through or together with a transversal plane propagating at the speed of light c . The development 'speed' depends solely on the angular frequency energy ω in the circle oscillator.

Here in this intelligible crawl, we limit ourselves to **one**¹⁵³ common *direction* \mathbf{e}_3 for all *subtons* in the *spectrum* of $\forall \omega \in \mathbb{R}$, given by $\mathbf{e}_3 = \vec{\omega} = \vec{\omega}/\omega = \vec{\omega}_c/\omega_c$ in the way that all $\forall \vec{\omega} \parallel \mathbf{e}_3$ and all the autonomous normed $\forall \vec{\omega} \parallel \vec{\omega}$ are called a *primary quality of first grade*.

We let the chronometer $\{t_c\}$, which gives the development parameter $t_c = \phi_c/\omega_c$ and measures out the angular carrier phase $\phi_c = \omega_c t_c$ by the carrier ω_c ; also measure out the extension $x_3 = ct_3$ of all in A created *subtons*

$$(3.285) \quad {}^A|\psi_{\pm\vec{\omega}\perp\odot}(\varphi)\rangle = {}^A\odot_{\perp\vec{\omega}}2\tilde{r}(\rho)e^{\pm i\varphi} = \odot_{\perp\vec{\omega}}2\tilde{r}(\rho)e^{\pm i\omega(t_{c,A}-t_3)},$$

for $\forall \rho \geq 0$, $\forall t_3 \in [0, t_{c,A}]$, and where $\varphi = \omega(t_{c,A} - t_3) + \theta = |\vec{\omega}|(t_{c,A} - t_3) + \theta$ for each angular frequency $\omega \in \mathbb{R}$ in the *spectrum*.

The extensions parameter $t_3 \in \{t_c\} \subset \mathbb{R}_+$ is of the same *quality* as the chronometer time $t_c[\vec{\omega}^{-1}]$ and measured as a *quantity* $t_3[\vec{\omega}^{-1}]$ from this by the carrier frequency $\vec{\omega}_c[\vec{\omega}]$.

The extension coordinate $x_3 = -ct_3$ is by this measured continuous from the *spectral* transmitter A. For each frequency in the *spectrum*, we write the beam extension in one *direction* \mathbf{e}_3 as a macroscopic state mode, as a field W created in A of a certain amplitude

¹⁵² *Proper finality* is rooted in the problem of the ultraviolet catastrophe. We have the idea of Planck frequency $1.22 \cdot 10^{28} \text{ eV}$ as the limit. The most energetic gamma particle reported observed $16 \cdot 10^{12} \text{ eV}$. Opposite we have $\omega = 0 \Rightarrow$ eternity, therefore $\omega \neq 0$.

¹⁵³ There is a myriad of different *directions*. Here we look only in one *direction*. It remains to a later chapter, what number of linearly independent *directions* we can find configuring natural space in physics.

$$(3.286) \quad |\psi_{\Sigma\pm\omega\mathbf{e}_3\perp\odot}(t_c, x_3)\rangle_A \simeq W_{\pm\omega,A}^{\text{helix}}(t_c, x_3) = \mathbf{A}_A \mathbf{A}_{\text{loss}}(x_3) (e^{\pm i(\omega t_c + k_3 x_3)})_{\mathbf{e}_3} \\ = \mathbf{A}_A \mathbf{A}_{\text{loss}}(ct_3) (e^{\pm i\omega(t_c - t_3)})_{\mathbf{e}_3}, \quad k_3 = \omega/c.$$

The constant transmitting amplitude of this field has proportionality $\mathbf{A}_A \sim \sqrt{N_A}$, since power is proportional to the number $N_A(\omega)$ of ω *subtons* created per radian $\phi_c = \omega_c t_c$ from the chronometer $\{t_c\}$. The chronometer-independent field is written as $\tilde{q}(\omega, x_3) = \mathbf{A}_A \mathbf{A}_{\text{loss}}(x_3)$ or simply $\tilde{q}(\omega) = \mathbf{A}_A$, that is as a function of the *direction* \mathbf{e}_3 ,

$$(3.287) \quad |\tilde{q}(\omega)|_{\mathbf{A},\mathbf{e}_3}^2 = |W_{\pm\omega,A}^{\text{helix}}(t_c, 0_3)|_{\mathbf{e}_3}^2 = \hbar\omega N_{\mathbf{A},\mathbf{e}_3}(\omega) = I_A(\omega, \mathbf{e}_3), \text{ for the intensity.}$$

This is the *power spectrum* from transmitter A. Here only in one *direction* \mathbf{e}_3 .

Then the variable power of a ray from A at one angular frequency ω can be assigned

$$(3.288) \quad P_{\mathbf{A},\mathbf{e}_3}(\omega, t_c, x_3) = |\tilde{q}(\omega, t_c, x_3)|_{\mathbf{e}_3}^2 = |W_{\pm\omega,\mathbf{A},\mathbf{e}_3}^{\text{helix}}(t_c, x_3)|^2 = \hbar|\omega|N_{\mathbf{A},\mathbf{e}_3}(\omega, t_c)\hbar\omega A_{\text{loss}}^2(x_3)$$

The chronometer constant, but frequency-dependent field amplitude from the transmitter A can now be written short as $|\tilde{q}(\omega)| = \sqrt{\hbar|\omega|N_{\mathbf{e}_3}(\omega)}$.

We call the function $\tilde{q}(\omega) \in \mathbb{C}$ of $\omega \in \mathbb{R}$ the complex amplitude *spectrum*.¹⁵⁴ Based on the conceptual idea of the inverse Fourier integration of this *spectrum* we get the complex *quantity* $q(t) = \int_{\mathbb{R}} \tilde{q}(\omega) e^{i\omega t} d\omega$, which is an \mathbb{C} integrable function¹⁵⁵ dependent on a development parameter $t \in \{t_c\}[\vec{\omega}^{-1}]$ of the same *quality* and norm $\vec{\omega} \equiv 1[\vec{\omega}]$ as the chronometer. Complementary to this, we conclude:

If an objective *entity* in physics is attributed a feature *quantity* $q(t) \in \mathbb{C}$, that is integrable and dependent on the development parameter $t \in \mathbb{R}$, this *quantity* can be dissolved in circle oscillators and integrated over time into a complex Fourier *spectrum*

$$(3.289) \quad \tilde{q}(\omega) = \frac{1}{2\pi} \int_{\mathbb{R}} q(t) e^{-i\omega t} dt,$$

and these circle oscillators propagate into the future as what we now call *subtons*.

3.6.2. The Development of Entities in Physics

Transformed *entities* Ψ_A we intuit as complex *quantities* $q_A(t) \in \mathbb{C}$, that are interpreted as functions values of a development parameter $t \in \mathbb{R}$ with the *quality* norm unit $[\vec{\omega}^{-1}]$ for this *quantity*. These are generated chronologically in relation to the synchronism of a well-defined carrier time $\{t_c \in \mathbb{R}\}$, in which the carrier circle oscillator has an angular frequency $\omega_c[\vec{\omega}]$, as a real numerical value $\omega_c \in \mathbb{R}$, which refers to the angular reference frequency $\vec{\omega} \equiv 1[\vec{\omega}]$, from our norm cyclic oscillator clock.

Above, we have stated that the carrier oscillator generates a phase angle $\phi_c = \omega_c t_c$ that directly carries the development parameter $t_c = \phi_c/\omega_c$ for the chronometer $\{t_c\}$.

For the development parameter of the *entity*, *quantities* $q(t)$ are required $t \in \{t_c\}[\vec{\omega}^{-1}]$.¹⁵⁶

By integrating this quantity of all development parameter values, we can form an *amplitude spectrum* of harmonic oscillators $\tilde{q}_A(\omega) = \frac{1}{2\pi} \int_{\mathbb{R}} q_A(t) e^{-i\omega t} dt$.

¹⁵⁴ Mistakenly, this has often been called 'power spectrum', but contrary in (3.288) the power spectrum is $|\tilde{q}(\omega)|^2$. Technically this is no problem, due to the most often used logarithmic decibel scale defined by $P = 10 \log(I/I_0) = 20 \log(A/A_0)$ for the relative Intensities or Amplitudes. Therefore, the relative ratios are often called the *Power Spectrum* for the *Fourier Amplitudes*.

¹⁵⁵ These complex integrable functions in Fourier transformations are described in section 1.7.7 and later below II. 4.1.4.2.

¹⁵⁶ A norm unit $[\vec{\omega}^{-1}]$ may be seconds [s], and another could be [eV⁻¹]. If you cannot find a suitable carrier norm reference it can be based on the idea $\omega_c = \vec{\omega}$. But often $\vec{\omega}$ is only a theoretical reference, therefore one needs a real physical carrier reference whose angular frequency, thus defining $\vec{\omega} = \omega_c/\omega_{c\text{-definition}} = 1$.

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