

1.6.2. The Cyclic Circle Clock

If a rotating *entity* for each period delivers an identical information particle, that can be counted, we have a clock that makes 'time' pass. It is the frequency $f_c = \omega_c/2\pi$, that determines the clock speed. In this manner, we get the circular movement timing parameter t synchronised against the counting periods in the rotating motion using the mapping

$$(1.37) \quad \text{TIMING: } t \rightarrow t_n := \lfloor f_c \cdot t \rfloor, \quad \text{that synchronises the parameter } t \in \vec{\mathbb{R}}_+ \text{ with } t_n \in \vec{\mathbb{N}}.$$

As expressed above in paragraph 1.4.1.1 the periodic cycle can be described as

$$(1.38) \quad \odot^{f \cdot t} \sim e^{i2\pi f \cdot t}.$$

1.6.2.2. The Cyclic Rotation Oscillation

The rotation oscillation can be described by the complex exponential function $e^{i\omega t} \in \mathbb{C}$ of the oscillator *quantity* $\omega \in \mathbb{R}$. We call such a cyclic rotation an oscillator.

When oscillation occurs in a plane and follows the function $e^{i\omega t} \in \mathbb{C}$ for $\forall t \in \mathbb{R}$ as a *subject* in the complex plane, I call it a *circle oscillator*. I claim the *fundamental synthetic judgement*:

The idea a cyclic oscillator in a plane is the *primary quality* as a circular motion with the controlling *quantity* $\omega = 2\pi f$, that causes the possibility of a sequential counting process

FORWARD, with the counting rate f , which re-turns the development parameter $t = \theta/\omega = \frac{\theta}{2\pi f}$.

1.6.2.3. The Time Concept as a Running Wheel

The developing time concept rotating through the Euler circle $e^{i\theta} = e^{i\omega t} = e^{i2\pi f \cdot t}$, can be synchronised with a time-axis, by scaling the circle to $\frac{1}{2\pi} e^{i\theta}$, so that its perimeter is 1,

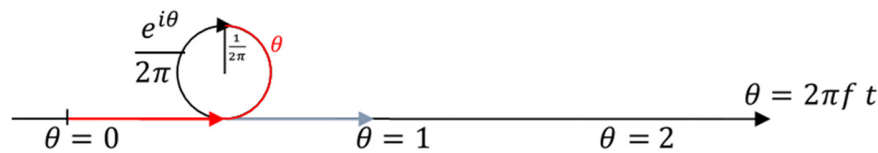


Figure 1.1 Oscillator wheel rolling along the parameter axis θ , also called the phase. Radius $\frac{1}{2\pi}$

and letting it roll like a wheel along a straight line marked by the phase $\theta = 2\pi f t$, see Figure 1.1. Similarly, the time-axis (phase-axis) is rolled up along the circle so that it becomes cyclic.

Hereby illustrating that linear time is an illusion. The pure idea that remains for the concept of time is the *primary quality* as the *causal action*, counting *FORWARD*.

The timing *quantity* is the number of individual identical but distinguishable events.

The former event is lost in the past but known in memory. The next is a priori unknown future.

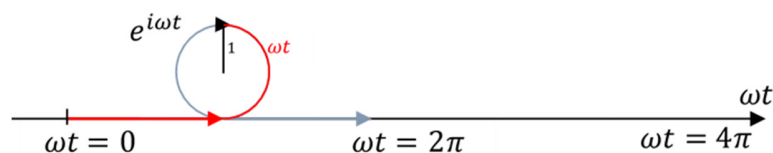


Figure 1.2 The parameter-axis $\omega t \in \mathbb{R}$ rolled over by the unit circle oscillator $e^{i\omega t}$. Radius 1, one unit. (Such unitary oscillator we will later call an autonomous clock for the quantum mechanics phase development $\theta = \omega t$.)

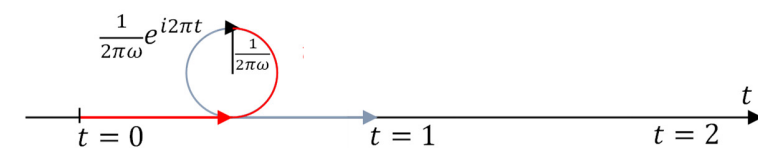


Figure 1.3 The development parameter-axis $t \in \mathbb{R}$ wound on a frequency scaled circle oscillator (classical clock). The higher the angular roll frequency ω , the smaller the circle wheel $e^{i2\pi t}/2\pi\omega$, aperture radius $1/2\pi\omega$.

1.6.2.4. Euler Circle as the A Priori Clock

The oscillatory cycle of rotation has a *primary quality* given by the Euler unit circle $e^{i\omega t}$. The interior given *quantity* of the rotation is the oscillation frequency $f \in \mathbb{R}$ or

$$(1.39) \quad \omega = 2\pi f \in \mathbb{R}.$$

When we select the real *quantity* $f \in \mathbb{R}$, the oscillating Euler circle is given by $e^{i2\pi f t} \in \mathbb{C}$, wherein the sequential periodic counting time is given by

$$(1.40) \quad t_m = mT = \frac{1}{f} m, \quad \text{where } m \in \vec{\mathbb{N}}, \quad \text{and } t_m \in \vec{\mathbb{R}}$$

Do we choose an *a priori clock* $e^{i2\pi f_c t}$, as a development timing measure, its frequency is $f_c := 1$, thus $e^{i2\pi t}$ gives a sequential periodic time measure $t \in \mathbb{R}$.

The unit of measure is here one period of the clock $T = 1$,

$$(1.41) \quad \text{TIMING: } t \rightarrow t_n := \lfloor t \rfloor = n, \quad \text{see (1.12)}$$

which synchronises the timing parameter $t \in \vec{\mathbb{R}}_+$ with $t_n = n \in \vec{\mathbb{N}}$

As we will see in the rest of this book, we prefer to use the form $e^{i\omega t}$ of the circular oscillator shown in Figure 1.2, the inner controlling *quantity* is the angular frequency $\omega = 2\pi f \in \mathbb{R}$, thus we avoid the factor 2π , just except when the timing measure is *quantised* with sequential periodic circumference.

$$(1.42) \quad t \rightarrow t_m = \frac{2\pi}{\omega} m \in \vec{\mathbb{R}}, \quad \frac{\omega}{2\pi} t_m = m \in \vec{\mathbb{N}}, \quad \text{from oscillator circle } e^{i\omega t} \in \mathbb{C}, \quad \text{see Figure 1.1.}$$

It is the sequential timing measure scale step $T = \frac{2\pi}{\omega} = f^{-1}$ to be scaled down with the angular frequency, as demonstrated in Figure 1.3 where I have just scaled the magnitude radius $\frac{1}{2\pi\omega}$ as well, when we measure the circumference of the circle oscillation with its period T .

Instead of a picture of linear time, which is pulling a fishing line from a rolling fishing-reel, I prefer to use the image where the line is drawn over the edge of a fixed roll as a helix spiral, which can then be stretched to a linear line. (There is no inertia from the roll.) This picture we will use later is the substance for the light photons which radiate linearly drawing a ghost helix into the past. We will then at last call it a *null helix*. (See Figure 7.1 p.334) -

1.6.3. The Continuous Measure for the Concept of Time

The parameter $t \in \vec{\mathbb{R}}_{s+}$ in $e^{i\omega t}$ is the *external continuous quantity* for the cyclic timing of the oscillator. The term 'para' is exactly synonymous with the 'external' for the *quantity* we invented to keep track of the connection in all relationships we owe the *quality* concept of development.

Overall, this can be the true continuous development parameter $t \in \vec{\mathbb{R}}_{s+}$ based on information timing used as a *quantity* for all types of processes in physics.

This external common parameter simply *never* has *causal quality*. (An anti-paraphysical stand.) The development parameter $t \in \mathbb{R}$ can never be the reason for things to happen (action).³¹

The fact that something happens is the reason why we experience time.

Since time is a *secondary quality*, the term "time parameter" will not be used.

Instead, often simply the term '*parameter*' will be used in many texts.

Terms such as 'time-parameter' had often been used, but 'time' is a false adjective because it often has a religious meaning of a paraphysical force that governs our universal Nature. Instead, it is the timing count, the action, or the change we perceive as a development cause.

We will recommend the use of the term 'action parameter' or the concept *category* I have invented for this book: *the development parameter* for information exchange.

³¹ Time does not have any extension in the actual physical (natural) 3D space.